

Designing a Low- Pass Fir Digital Filter by Using Hamming Window and Blackman Window Technique

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Abstract: In this paper is simulated the time- domain unit sample response of sine function and frequency- domain response of sine function. Digital filter plays an important role in today's world of communication and computation. Without digital filter we cannot think about proper communication because noise occurs in channel. For removing noise or cancellation of noise we use various type of digital filter. In signal processing, there are mainly two types of filters exist .they are the Finite Impulse Response (FIR) filter and Infinite Impulse Response (IIR) filter. Finite Impulse Response (FIR) filter can be designed form Infinite Impulse Response (IIR) filter by various techniques. The widely used technique is the window technique. This paper low-pass FIR filter is implemented using an efficient adjustable window function based on Hamming window and Blackman window function. The output of the FIR design by Blackman window and the Blackman window are shown in this paper by simulating the code in Matlab. The Matlab program returns with a satisfactory result with proper magnitude plotting.

Keywords: Hamming Window, Blackman Window, Fir Filters, Low-Pass Filter, Unit Sample Response, Frequency Response

1. Introduction

Finite-duration Impulse Response (FIR) [1]-[9] filter are most popular type of filters implementation in software. This introduction will help understand both theoretical and practical level. For finite-duration impulse response (FIR) digital filter, the operation is governed by linear constant-coefficient difference equations of a non-recursive nature. A Finite-duration Impulse Response (FIR) filter is a filter structure that can be used to implement almost any sort of frequency response digitally. An FIR filter is usually implemented by using a series of delay, multipliers and adder to create the filter's output. The transfer function of FIR digital filter is a polynomial in Z^{-1}

Time domain sequence of the Hamming window [10]-[15] is

$$0.54 - 0.46 \cos \frac{2\pi n}{M-1} \quad (i)$$

Time domain sequence of the Blackman window [10]-[15] is

$$0.42 - 0.5 \cos \frac{2\pi n}{M-1} + 0.08 \cos \frac{4\pi n}{M-1} \quad (ii)$$

FIR filter of length M having the impulse response is

$$h(n) = \frac{\sin \omega_c (n - \frac{M-1}{2})}{\pi (n - \frac{M-1}{2})} \quad (iii)$$

A digital filter takes a digital input gives a digital output and consist of digital components. In typical digital filtering application software running on a DSP reads input sample from an A/D converter [16], performs the mathematical manipulations by theory for the required filter type, and output the result via D/A converter [17]. A digital filter is a filter that works by performing digital mathematical operations on an intermediate form of a signal.

2. Impulse Response

In signal processing, the impulse response [18], or impulse response function (IRF), of a dynamic system is its output when presented with a brief input signal, called an impulse. More generally, an impulse response refers to the reaction of any dynamic system in response to some external change. In both cases, the impulse response describes the reaction of the system as a function of time (or possibly as a function of some other independent variable that parameterizes the dynamic behavior of the system).

3. Frequency Response

Frequency response [19] is the quantitative measure of the output spectrum of a system or device in response to a stimulus, and is used to characterize the dynamics of the system. It is a measure of magnitude and phase of the output as a function of frequency, in comparison to the input. In simplest terms, if a sine wave is injected into a system at a given frequency, a linear system will respond at that same frequency with a certain magnitude and a certain phase angle relative to the input. Also for a linear system, doubling the amplitude of the input will be double the amplitude of the output. In addition, if the system is time-invariant, then the frequency response also will not vary with time.

- MATLAB Commands for Hamming Window coding:
`m=80; % The length of the Kernel%`
`n=0:1:m-1; %Defines Range of position value%`
`p=n-(m-1)/2; %Angle%`
`fc=0.1; %Define Cutoff frequency%`
`Z=sin(2*pi*fc*p)./(pi*p); %Define truncated Sinc function%`
`stem(n,Z);grid %To represent the discrete signal value & draw the grid lines%`
`title('Unit Sample Response of the sin function') %Define the title of the figure%`
`xlabel('n') %Define the label of on x axis%`
`ylabel('Z') %Define the label of on y axis%`
`figure; %To draw a figure%`
`[h,w]=freqz(Z); %get Frequency Response%`
`plot(w/pi,abs(h));grid`
`title('Frequency response of the sin function')`
`xlabel('Frequency')`
`ylabel('Amplitude')`
`figure;`
`s=2*pi*(n/(m-1)); %Angle%`
`w=0.54-0.46*cos(s); %Define Hamming window function%`
`stem(n,w);grid`
`title('Hamming Window')`
`xlabel('n')`
`ylabel('w')`
`figure;`
`t=Z.*w; %Multiplication of Hamming Window and sin function%`
`stem(n,t);grid`

```
title('Multiplication of Hamming Window and sin function')
xlabel('n')
ylabel('t')
figure;
[h,w]=freqz(t);
plot(w/pi,abs(h));grid
xlabel('Frequency')
ylabel('Magnitude')
title('Frequency response of the windowed sin function')
figure;grid
freqz(t)
title('Frequency Response of the windowed sin function in dB')
```

Simulated Results of Hamming window

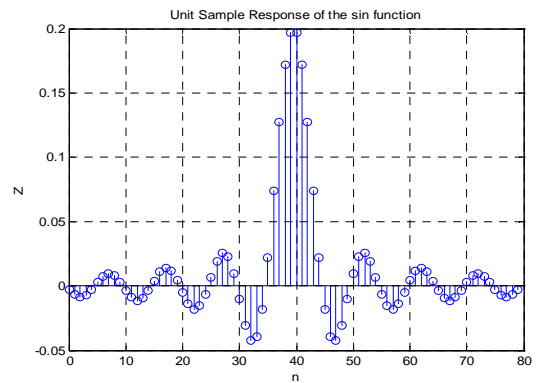


Fig. 1a. Unit Sample Response of the sin function.

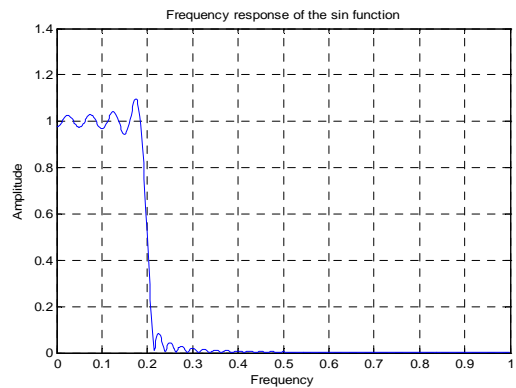


Fig. 2a. Frequency response of the sin function.

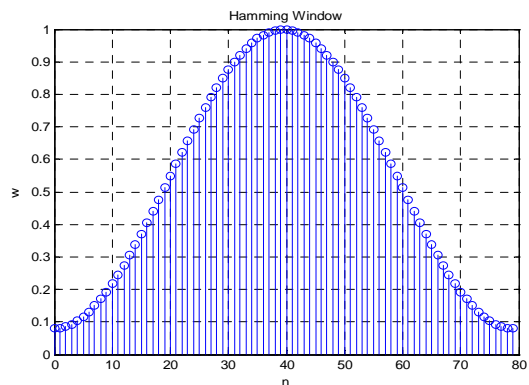


Fig. 3a. Hamming Window.

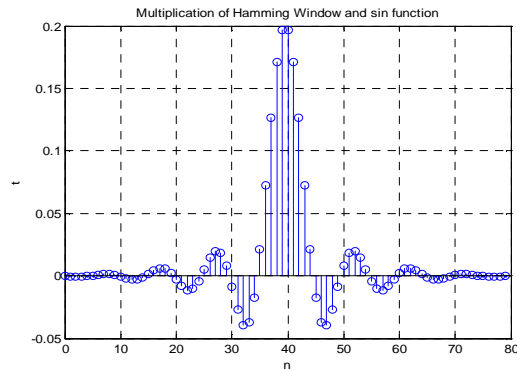


Fig. 4a. Multiplication of Hamming Window and sin function.

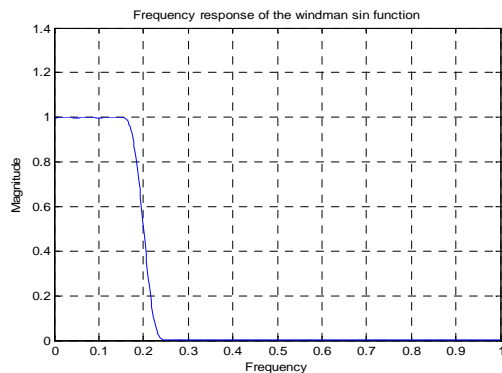


Fig. 5a. Frequency response of the windowed sin function.

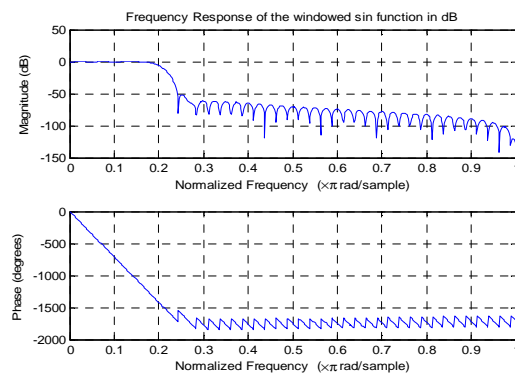


Fig. 6a. Frequency Response of the windowed sin function in dB.

- MATLAB Commands for Blackman Window coding:
 $m=80$; % The length of the Kernal%
 $n=0:1:m-1$; %Defines Range of position value%
 $p=n-(m-1)/2$; %Angle%
 $fc=0.1$; %Define Cutoff frequency%
 $Z=\sin(2*\pi*fc*p)./(pi*p)$; %Define truncated Sinc function%
 $\text{stem}(n,Z);\text{grid}$ %To represent the discrete signal value & draw the grid lines%
 $\text{title}(\text{'Unit Sample Response of the sin function'})$ %Define the title of the figure%
 $\text{xlabel}(\text{'n'})$ %Define the label of on x% axis%
 $\text{ylabel}(\text{'Z'})$ %Define the label of on y% axis%
 figure ; %To draw a figure%
 $[h,w]=\text{freqz}(Z)$; %get Frequency Response%

```

plot(w/pi,abs(h));grid %Plot figure & draw the grid lines%
title('Frequency response of the sin function')
xlabel('Frequency')
ylabel('Amplitude')
figure;
s=2*pi*(n/(m-1));%Angle%
w=0.42-0.5*cos(s)+.08*cos(2*s); %Define Blackman
window function%
stem(n,w);grid
title('Blackman Window')
xlabel('n')
ylabel('w')
figure;
t=Z.*w; %Muplying truncated Sinc function by
Blackman window%
stem(n,t);grid
title('Multiplication of Blackman Window and sin function')
xlabel('n')
ylabel('t')
figure;
[h,w]=freqz(t);
plot(w/pi,abs(h));grid
title('frequency response of the windowed sin function')
xlabel('frequency')
ylabel('Magnitude')
figure;
freqz(t)
title('frequency Response of the windowed sin function in
dB')

```

Simulated Results of Blackman Window

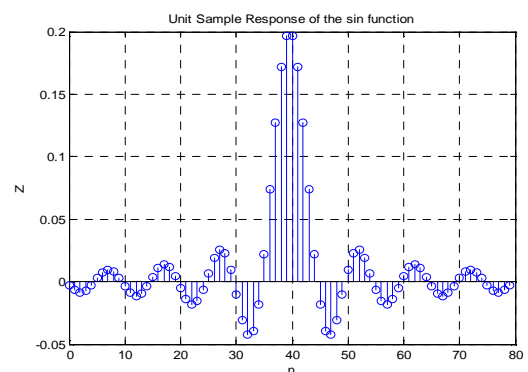


Fig. 1b. Unit Sample Response of the sin function.

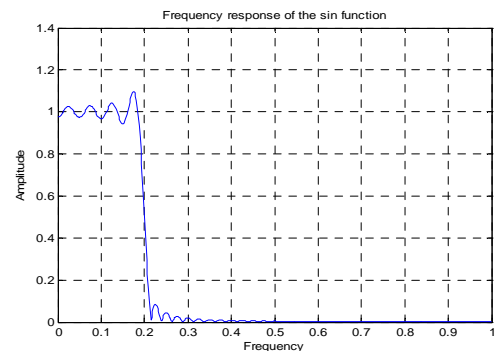


Fig. 2b. Frequency response of the sin function.

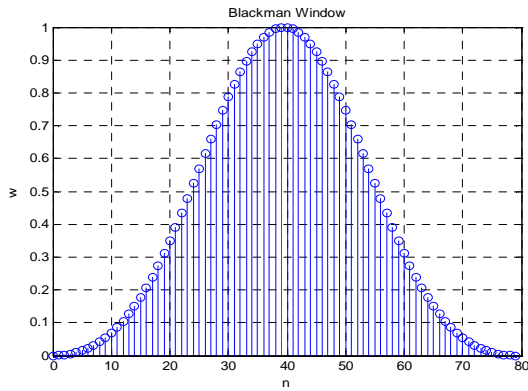


Fig. 3b. Blackman window.

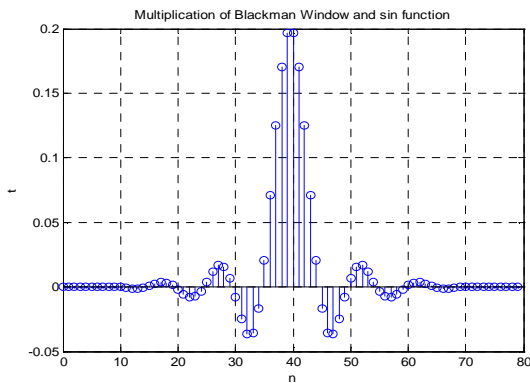


Fig. 4b. Multiplication of Blackman Window and sin function.

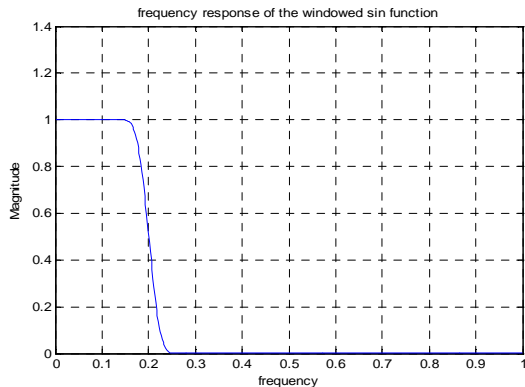


Fig. 5b. Frequency response of the windowed sin function.

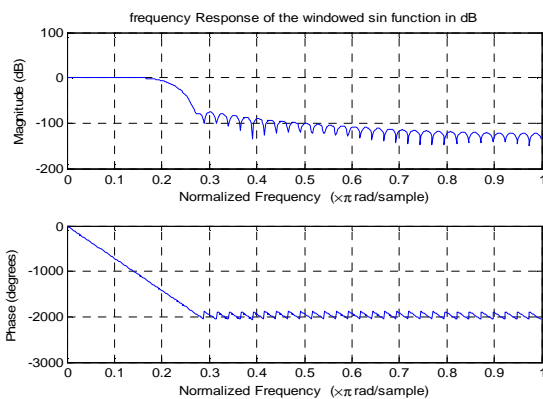


Fig. 6b. Frequency Response of the windowed sin function in dB.

4. Conclusion

To create a Finite-duration Impulse Response (FIR), truncate it by applying window. Digital filter Finite-duration Impulse Response has greater response compared to other impulse response filter. Because FIR filter have following primary: i) They can exactly linear phase. ii) There are always stable. iii) The design method is generally linear. iv) They can realize efficiently in hardware and v) The filter startup transients have finite duration.

Comparatively, the Blackman has better stop-band attenuation than that of Hamming but unfortunately Blackman has slower (about 20%) roll-off than that of Hamming. The Blackman should be our first choice; a slow roll-off is easier to handle than poor stop-band attenuation. A low pass filter allows only low frequency signal through its output so it can be used to eliminate high frequency.

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Biography



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